The understanding of H/He irradiated in W by a multi-scale approach

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Outline

- Radiation Damage
- Multi-scale Modeling
- MC for the primary radiation
- Cluster Dynamics (CD) Model
- H/He in W
- Summary

Radiation damage

• Plasma-material interactions (PMI) in nuclear devices:

Cause the surface reconstruction of plasma-facing materials (PFMs, W) to roughness or even more complex nanostructures (mounds, fuzz, bubbles, pores and blisters) & ion (D/T/He) retention and sputtering of PFMs & degradation of structural materials.



B.D. Wirth et al., J. Nucl. Mater. 463 (2015) 30.

Radiation Damage

- Radiation damages: Fission & Fusion
- Structural / PFMs: Fe, Be, C, W, Mo, Alloy, ...;
- **High energy particles:** Electron (*MeV*), Ion (D/T/He..., *eV-keV*), Neutron (*MeV*);
- **Defects and impurities:** Point defects, loops/clusters, impurities, ...;
- **Expts.:** SEM/TEM/NRA/RGA/RBS/TDS/APT... (steady state detection, Spatial scale);
- Long-term evolution of microstructures? (Time scale).



Radiation Damage

• Dynamical evolution of defects

Long-term (ps-y), multi-scale (nm-m) and multi-micromechanisms coupling process.



Yip & Short, *Nature Mater.* 12 (2013) 774; Lu et al., *Nucl. Fusion* 54 (2014) 086001; Samaras & Victoria. *Mater. Today*, 11 (2008) 54; Nordlund, et al., *J. Phys. D: Appl. Phys.* 47 (2014) 224018.

Multi-scale Modeling

- **Challenge:** How to effectively couple atomic diffusion events with displacing and continuous processes at finite temperature.
- Sequential multi-scale modeling: MC + DFT/MD + CD



Multi-scale Modeling

Sequential multi-scale modeling:

$\underline{MC} + \underline{DFT}/\underline{MD} + \underline{CD}$



IM3D & IRadMat

Monte Carlo simulation of primary radiation damage

- Primary radiation damage: Ballistic phase, in the range of ~ *nm* and the time-scale of ~ sub-*ps*; two types of collision binary & cascade/spike collision.
- Until now radiation damage simulation codes (like SRIM) have been limited in ability to describe 3D geometry, computational efficiency, or both.



Advantages: MC vs MD

- Simple and high efficiency;
- Arbitrary 1D/3D structures;
- Accounting of electronic energy loss and multiple- and plural-scattering;
- No limitations in nanostructure sizes, ion energies, or availability of empirical interatomic potentials.

• IM3D: Primary radiation damage under ion irradiation

A 3D Parallel MC Code for Efficient Simulation of Primary Radiation Damage



• Verification of IM3D more details in Li's poster

• IM3D vs. SRIM for bulk

Borschel et al., *Nucl. Inst. Meth. Phys. Res. B* 269 (2011) 2133. Stoller et al., *Nucl. Inst. Meth. Phys. Res. B* 310 (2013) 75.

• Ion depth-distributions under ion implantation with different energies



• V depth-distribution predicted by full-cascade and Kinchin-Pease models



• IM3D: Arbitrarily complex targets based on CSG/FETM methods



• Comparison of IM3D and SRIM

Li, Sci. Rep. 5 (2015) 18130.





Multi-scale Modeling

Sequential multi-scale modeling:

MC + DFT/MD + CD



<u>IM3D</u> & IRadMat

Cluster Dynamics (CD) Model

- **CD model** based on the mean-field rate theory is commonly employed to describe defect concentration evolution in a set of diffusion-reaction type master equations, by considering the generation, diffusion, reaction and absorption processes of point defects and clusters with a possible event list and rate coefficients in materials under thermal aging or irradiation.
- History: Theory

Pollak & Talkner, Chaos 15 (2005) 026116.

- Van't Hoff-Arrhenius law reaction rate coefficients (1889)
- Transition state theory (TST) reaction rate/barrier (1932-1978)
- Classical rate theory Master equations (Kramer, 1940)



- History: Numerical algorithms of mater equations (MEs)
- **Difficulties:** accuracy (no spatial correlation), efficiency (coupled ODEs) and stability (stiff system)
- Acceleration or coarse-graining approximate algorithms:
 - Discrete phase-cut method
 - Fokker-Plank approximation
 - K-method & Grouping method
 - Stochastic cluster dynamics
 - Hybrid method, etc.

Kiritani, J. Phys. Soc. Japan 35 (1973) 95;
Gillespie, J. Comput. Phys. 2 (1976) 403;
Ghoniem et al., J. Nucl. Mater. 92 (1980) 121;
Golubov et al., Philos. Mag. A 81 (2001) 643;
Marian & Bulatov, J. Nucl. Mater. 415 (2011) 84;
Gherardi et al., Comput. Phys. Commun. 183 (2012) 1966;
Xu et al., Appl. Phys. Lett. 102 (2013) 011904;
Ortiz et al., Phys. Rev. B 80 (2009) 134109;
Dunn et al., J. Nucl. Mater. 443 (2013) 128.

• Recent developments: Multi-species, Space-resolved, Spatial correlation, ...



Cluster Dynamics (CD) Model

• Master equations: IRadMat



• Coarse-grained methods: $> 10^6 \rightarrow < 10^4$ PDEs

Fokker-Plank $\frac{\partial C(x,t)}{\partial t} = \frac{\partial}{\partial x} \left(-F(x,t)C(x,t) + \frac{1}{2}\frac{\partial}{\partial x}D(x,t)C(x,t) \right), \quad x > N$ **Group method** $C_{i,j}(x,y) = L_0^{i,j} + L_{1x}^{i,j}(x - \langle x \rangle_i) + L_{1y}^{i,j}(y - \langle y \rangle_j)$

SRSCD CD + KMC

Li, *Commu. Comput. Phys.* 11 (2012) 1547; Golubov et al., *Philos. Mag. A* 81 (2001) 643; Marian & Bulatov, *J. Nucl. Mater.* 415 (2011) 84.

• Defect production & diffusion

• Production:

Marian et al., J. Nucl. Mater. 462 (2015) 409.

- Electron: e^{-} (*MeV*), Frenkel-pairs point defects
- Ion: D^+ , T^+ , He^+ ... ($eV \sim keV$), point defects + clusters
- Neutron: n (MeV), cascade, dislocation loops, vacancy clusters
- Point defects **G**(1):
- NRT model, cascade: G^{NRT} ; $G^{NRT}(1-\varepsilon_r)$
- Constant and uniform rate: neutron irradiation or transmutation
- SRIM/IM3D/MARLOWE: ions
- Size distribution function G(x):
- MD cascade: size/space distribution
- KMC annealing defect size/space distribution: IM3D + OKMC
- **Diffusion:** Finite difference approximation with non-uniform mesh

$$\frac{\partial^2 C_{\theta}^j}{\partial z^2}|_{\theta=I,I_2,V,X} = \frac{2}{(1+\delta)h} \left(\frac{C_{\theta}^{j+1} - C_{\theta}^j}{\delta h} - \frac{C_{\theta}^j - C_{\theta}^{j-1}}{h} \right)$$

Li, Commu. Comput. Phys. 11 (2012) 1547.

Reaction and absorption

Reaction event-list & Rate coefficients: DFT/MD/Expt.

$$k_{V_{n}+\theta}^{+}|_{\theta=I,I_{2},He} = 4\pi r_{V_{n}}D_{\theta},$$

 $\gamma_{n}^{-} = 4\pi r_{V_{n-1}}D_{V}\exp\left(-E_{V_{n}-V}^{b}/k_{B}T\right)$

$$\theta + GB \to GB - \theta, \ \theta = I, V, H, He \dots$$
$$K_{GB}^{\theta} = S_{m}^{\theta} \left(\frac{\sqrt{S_{m}^{\theta}}d}{2} \coth \frac{\sqrt{S_{m}^{\theta}}d}{2} - 1 \right)$$
$$\times \left(1 + \frac{S_{m}^{\theta}d^{2}}{12} - \frac{\sqrt{S_{m}^{\theta}}d}{2} \coth \frac{\sqrt{S_{m}^{\theta}}d}{2} \right)^{-1}$$

 $\theta + DL \rightarrow DL - \theta, \ \theta = I, V, H, He \dots$ $K_{DL}^{\theta} = \rho Z_{DL}^{\theta}$

Bullough et al., J. Nucl. Mater. 90 (1980) 1.

Li, *Commu. Comput. Phys.* 11 (2012) 1547; Ning, *Inter. J. Modern Phys. C* 23 (2012) 1250042; Hu, *RSC Adv.* 5 (2015) 65750.

He in W: H in W/Be: I, I_2 , V, He, I_n , V_n , He_n, I, I_2 , V, H, I_n , HI, $H_{m}V|_{m\leq 8}$, DL, GB He_nI, He_mV_n, DL, GB $I + V \rightleftharpoons 0$: $I + V \rightleftharpoons 0$: $I + I_n \rightleftharpoons I_{n+1};$ $I + I_n \rightleftharpoons I_{n+1};$ $I + V_n \rightarrow V_{n-1}$; $I + H \rightleftharpoons HI;$ $I + He_n \rightleftharpoons He_n I;$ $I + He_m V_n \rightleftharpoons He_m V_{n-1}$; $I + H_m V \rightarrow mH;$ $I_2 + I_n \rightleftharpoons I_{n+2};$ $I_2 + I_n \rightleftharpoons I_{n+2};$ $I_2 + V_n \rightarrow V_{n-2};$ $I_2 + He_m V_n \rightarrow He_m V_{n-2};$ $I_2 + V \rightarrow I$: $V + I_n \rightleftharpoons I_{n-1};$ $V + I_n \rightleftharpoons I_{n-1};$ $V + V_n \rightleftharpoons V_{n+1};$ $V + H \rightleftharpoons HV$: $V + He_n \rightleftharpoons He_n V$: $V + He_n I \rightarrow He_n$: $V + HI \rightarrow H;$ $V + He_m V_n \rightleftharpoons He_m V_{n+1}$; $H + H_m V \rightleftharpoons H_{m+1} V;$ $He + V_n \rightleftharpoons HeV_n;$ $I + L \rightarrow LI;$ $He + He_n \rightleftharpoons He_{n+1};$ $He + He_nI \rightleftharpoons He_{n+1}I;$ $I_2 + L \rightarrow LI_2$; $He + He_m V_n \rightleftharpoons He_{m+1} V_n;$ $V + L \rightarrow LV$: $\theta + D \rightarrow D\theta$: $H + L \rightarrow LH$: $\theta + S \rightarrow S \theta;$

H/He Retention under Ion Irradiation

A1. H/He retention in plasma-facing materials (PFMs)

- Plasma-surface interaction (PSI): Defect accumulation, D/T/ He retention, embrittlement, swelling, bubbles, etc.
- SRIM/IM3D (initial distributions of defects) + CD (long-term evolution)





Ogorodnikova et al., J. Appl. Phys. 109 (2011) 013309; Tokitani et al., J. Nucl. Mater. 337-339 (2005) 937.

- CD v.s. Expts.
 - **Depth** distribution of H/He in PFMS
 - Retention H/He Fluence
 - Retention Temperature, desorption



Li, *Commu. Comput. Phys.* 11 (2012) 1547; Ning, *J. Nucl. Mater.* 430 (2012) 20; Hu, *RSC Adv.* 5 (2015) 65750.



- Different behaviors of H/He retention in W/Be
- The competition between capture and drift-diffusion processes & the difference in binding energies between retention behavior of H and He in W/Be.
 H-H and He-He determine the Li, J. Nucl. Mater. 431 (2012) 26; Ning, J. Nucl. Mater. 430 (2012) 20.



A2. Effect of grain size on the behavior of H/He retention in W

- Larger He bubbles intend to accumulate at interfaces/GBs, with less He retention and damages left in grain interior.
- Higher H retention occurs in nanocrystaline W comparing to coarse-grained W

El-Atwani et al., Sci. Rep. 4 (2014) 4716.

González et al., Nucl. Fusion 55 (2015) 113009.

Zhao, Nucl. Fusion 57 (2017) 086020.







• Effect of grain size on the behavior of H/He retention in W

10²⁰

10¹⁹

10¹⁸

E_{..} = 200 eV

Flux = $1.0 \times 10^{19} \text{ m}^{-2} \text{s}^{-1}$

Fluence = 1.0×10²⁰ m⁻²

Single Crystal

Retained H (atoms/m²)

H - W

 $E_{\rm H}^{\rm m}$

300 K

873 K

= 0.39 eV

(a)

25

- H/He retention increases dramatically with decreasing grain size, due to the enhancement of H/He trapped in GBs.
- For W based PFMs coarse-grained crystals should be selected in practice.



A3. H/He retention & radiation damage under practical conditions

- Effects of Pre-irradiation & ion energy/flux/fluence
- Synergistic irradiation of ions and neutron: $G_{I/V} = 10^{-6} \text{ dpa/s}$
- First wall & Divertor



- **Synergistic** radiation effects of He ions and neutrons
- The defects produced by neutron irradiation prevent He diffusion into bulk, leading to He retention in near surface area and He total retention increase
- **First wall** surface retention and damage **Divertor** – bulk retention and damage



He, 1 keV, $10^{18} m^{-2} s^{-1}$

With Neutron

 $= 10^{18} \text{ m}^{-2} \text{s}^{-1}, G_{\text{I/V}} = 10^{-6} \text{ dpa s}$

(a)

27

 $T = 873 \text{ K}, E_{\text{He}} = 1 \text{ keV}$

0.2

First Wall

Time: (s)

10²³

 10^{22}

10²¹

10²⁰

10 10

10¹²

Defect Evolution under neutron Irradiation

- Defect production by neutron irradiation in CD
- Point defects G(1): $G_{I/V} = 10^{-6} \text{ dpa/s}$
- Size distribution function G(x): MD, MC OKMC (IM3D + MMonCa)



Knaster et al., Nat. Phys. 12 (2016) 424.

Zhao, to be published.

A4. Radiation tolerance in nano-crystalline (NC) materials

Anti-irradiation of NC materials: Under what conditions?

GB



• Effect of diffusion bias on radiation tolerance of Fe/W with different grain sizes

• **Diffusion bias:** the ratio of mean diffusion distance per unit time between SIAs and vacancies.

$$B_{D} \equiv -\lg\left(\sqrt{D_{V}/D_{I}}\right)$$



Extreme non-steady state (ns)

From ns to infinite time-scales, what are the effects of the diffusion bias and grain sizes on materials radiation tolerance?

Non-steady states (ns - ∞): Diffusion bias?

Steay-state chemical rate theory Shen, *Nucl. Instr. Meth. B* 266 (2008) 921.

$$C_{\rm v} = \frac{1}{B_{\rm v}} \left(\sqrt{A_{\rm v}^2 d^{-4} + 2B_{\rm v} K} - A_{\rm v} d^{-2} \right)$$
$$A_{\rm v} = 57.6 D_{\rm v}; \quad B_{\rm v} = \frac{8\pi}{a^2} D_{\rm v} \left(\frac{D_{\rm v}}{D_{\rm I}} \right) \left(1 + \frac{D_{\rm I}}{D_{\rm v}} \right)$$



No effect of diffusion bias

• From non-steady states to the steady state



Summary-I

• Well established software for radiation defect behavior



• Inducing simple mathematic treatments

Sequential multi-scale modeling:

MC + DFT/MD + CD

Summary-II

Employ the sequential multi-scale modeling approach (MC+DFT/MD+CD) to study the dynamical behaviors of defects from atomic scale to mesoscale and from *ps* to years.

- H/He retention under ion irradiation
 - Behaviors of H/He retention in poly-crystalline and nano-crystalline W/Bebased PFMs are revealed under practical irradiation conditions.
- Defect accumulation under neutron irradiation
 - Diffusion bias suppresses radiation resistance in nano-crystalline materials.



Thanks for your attention!