

ATOMIC, MOLECULAR AND PMI DATABASE IN THE B2-EIRENE FAMILY OF 2D EDGE PLASMA **TRANSPORT CODES**

Detlev Reiter, V. Kotov, S. Wiesen, P. Börner, B. Küppers

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B2-EIRENE (version SOLPS4.3-ITER) applied to KSTAR, 2012.... by: Seung Bo Shim, Hae June Lee, Pusan National University, South Korea





thanks also to: Vlad Kotov, Petra Börner from FZJ

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Input parameters	Value	Unit
Total heating power (P _{NBI})	8	MW
Radiation loss ratio in the core plasma	40	%
Out/in power split	3/1	
Plasma density at the core boundary	3x10 ¹⁹	m-3
Plasma flux at the core boundary	1021	s ⁻¹
Electron thermal diffusivity	1.0	m ² /s
Radial diffusion coefficient	0.5	$m^{2/s}$
Recycling ratio	1.0	
Decay Length	0.03	m
Sheath energy transmission coefficient	El : 2.0 Ion : 2.5	
Pumping speed	5x10 ⁴	l/s
Initial Density	D:1x10 ¹⁸ C:1x10 ¹⁵	m ⁻³
Initial Temperature	10	eV





Online available since Oct. 2014: 3.5 hours DETAILED interview with Richard Pitts (ITER-IO):







JÜLICH 2D (and also 3D) edge transport code models: realistic geometries including pump ducts and leaks to the main vessel, incorporate AM-PMI physics into plasma flow simulations ("plasma transport").



B2-EIRENE: D. Reiter, J. Nucl. Mat. (1992), 196, p80-89... Since then: many versions, names, sets of physics, → incomprehensible jumble of Fortran code. FZJ-F4E-ITER contractual work (2011-2013):



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2014 → ...???





H⁺+ H

¥**!***+H

n=4

H + H

4

20

22



Sensitivity analysis Interface **EIRENE 3D Monte Carlo** kinetic transport KSTAR TEXTOR JET ASDEX, DIII-D, LHD, W7X,... ITER JT-60. LHD. 🕖 JÜLICH HYDKIN: spectral analysis for reaction kinetics Warm up: H-atom, CR model: H(1),H*(2),....,H*(30),H+ (I.k-excitation, i-ionization A ik, and k,i de-excitation Non-zero Elgenvalues. O Elgenvalues are zero 1013 @ Te = 10 eV. 0 10¹² ne = 1e13 1011 - 10¹⁰ د 10⁹ °℃10° 5 107 ⁸ 10⁶ g 10⁵ 104 13 -- of elg 18 24 al un JÜLICH HYDKIN.de: online sensitivity analysis D. Reiter, Phys. Scr. T138 (2009) 014014 Breakup of CH4 @ 40 eV (143 parameters) Analytic solution for sensitivity, online 3.38 Z(t)=d(ln[n_Y])/d(ln<rate>) 2.08-6 65-Identify, print and plot the most sensitive parameters: -6.62--2.06-If <rate> changes by x % Then n_Y changes by x * Z % 2.0E-5 4.0E-5 6.0E-5 8.0E-5 10.0E-time (s) e+CH->CH*+2e e+CH2->CH+H*+e e+CH->C(3P,CH(1 At 40 eV (TEXTOR) Only DE, I, DI processes are relevant, (nearly) no dependence on transport at al IÜLICH
 Will
 B.4
 2.2.14
 B.4
 0
 2
 0.00000E+00
 0.0000E+00
 0.0000E+00
 0.0000E+00</th 2 0 00000E+00 0.0000E+00 0.0000E+ List of (chemical) elements (atoms, molecules ions) and

a mapping between these elements and the included set of reactions

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Spectral (time scale) analysis

Public exposure of data

ITER, D-He-C, non-linear neutral, no radiation transport
(full report: Kotov, Reiter, Juel, 2007, at www.eirene.de)

, ____, ct \ RFMOD_2_CARBON_SFT_SSOK ' 4. Data for species and atomic physics module Reactions 26

3	AMJUEL H.	4 2.1.5	2.3	0	1 0	0,0	0000E+00	0,0	0000E+00	0,0	0000E+00	
2	AMJUEL H.	102.1.5	2	0	1 0	0.0	000E+00	0.0	00000E+00	0.0	0000E+00	
3	SYDEEL H.	1 3.1.8	- a	6 1	1 0	0.0	0000E+00	0.0	00000E+00	0.0	0000E+00	
	BITCHEL H.	3 3.1.8	0	¢ 1	1 0	0.0	0000E+00	0.0	00000E+00	0.0	0000E+00	
4	SYDNEL H.	2 2.3.9	2	0	4 (0.0	0000E+00	0.0	00000E+00	0.0	0000E+00	
5	METHAN H.	2 2.23	2	0 1	2 0	0.0	0000E+00	0.0	00000E+00	0.0	0000E+00	
e	AMJUEL H.	4 2.2.9		0	2 0	0,0	0000E+00	0.0	0000E+00	0.0	0000E+00	
-	AMJUEL H.	4 2.2.50	. D:	0	2 0	0.0	0000E+00	0.0	00000E+00	0.0	0000E+00	
5	AMJUEL H.	4 2.2.10	20	0	2 0	0.0	0000E+00	0.0	00000E+00	0.0	0000E+00	
5	AMJUEL H.	4 2.1.8	8	0	1 0		0000E+00	0.0	0000E+00	0.0	0000E+00	
10	AMJOEL H.	102.1.8	20	0	1 1	1.3	6000E+01	0.0	00000E+00	0.0	0000E+00	
11	AMJUEL H.	1 0.2T	E	L 1	4 0	0.0	0000E+00	0.0	00000E+00	0.0	0000E+00	
11	AMITURI, H.	3 0.2T	E	L 1	4 0	0.0	0000E+00	0.0	00000E+00	0.0	0000E+00	
11	AMJUEL H.	0 0.2T	E	L 1	4 0	0.0	000E+00	0.0	00000E+00	0.0	0000E+00	-
12	CONST H.	2	E	L 1	1							
-2	.1091E+01	0.2500E	00	0.0000	E	00	0.0000E	00	0.0000E	00	0.0000E	00
0	00 30000.	0.0000E	00	0.0000	E	00	0.0000E	00	0.0000E	00	0.0000E	00
13	CONST H.	2	E	2	2							
-2	.0589E+01	0,2500E	00	0,0000	E C	00	0,0000E	00	0,0000E	00	0.0000E	00
C	00 20000.	0.0000E	00	0.0000	E	00	0.0000E	00	0.0000E	00	0.0000E	00
14	CONST H.	2	E	L 1	2							
-2	.0357E+01	0.2500E	00	0.0000	E	00	0.0000E	00	0.0000E	00	0.0000E	00
0	.0000E 00	0.0000E	00	0.0000	E	00	0.0000E	00	0.0000E	00	0.0000E	00
15	CONST H.	2	E	L 1	2							
-2	.0357E+01	0.2500E	00	0.0000	E	00	0.0000E	00	0.0000E	00	0.0000E	00
0	.0000E 00	0.0000E	00	0.0000	E	00	0.0000E	00	0.0000E	00	0.0000E	00
16	CONST H.	2	E	L 1	4							
-2	.1014E+01	0.2500E	00	0.0000	E	00	0.0000E	00	0.0000E	00	0.0000E	00
1	00008 00	0.0000	00	0 0000		00	0.0000	00	0.0000	00	0.0000	00

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Starts with a list of "reactions". collected from various databases linked to EIRENE

All raw (unprocessed) data from databases are publicly exposed: www.hydkin.de

Simple Krook Collision rates for Neutral-Neutral Collisions.

raw data

HYDKIN

database

toolbox

2004 --(ongoing)









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Kinetic (transport) equation, one for each species

$\frac{\partial f(E,\vec{\Omega})}{\partial t} + v \underbrace{\partial f(E,\vec{\Omega})}_{\vec{\partial}t} \underbrace{\sigma}_{\vec{d}} \underbrace{\nabla f(E,\vec{\Omega})}_{\vec{\tau}} \underbrace{\sigma}_{\vec{d}} \underbrace{\nabla f(E,\vec{\Omega})}_{\vec{\tau}} + Forces = S(E,\vec{\Omega}) - v\sigma_a(E)f(E,\vec{\Omega})$
$+ \int_{0}^{\infty} dE' \int_{4\pi} d\vec{\Omega}' [v'\sigma_{s}(E' \to E, \vec{\Omega}' \cdot \vec{\Omega})] f(E', \vec{\Omega}') - v\sigma_{s}(E \to E', \vec{\Omega} \cdot \vec{\Omega}')] f(E, \vec{\Omega})$ Collisions, Boundary Conditions
From partial integro-differential (Boltzmann) eg. to \rightarrow Ordinary Integral equation (0D 3V t)

osition/Migration IO HQ / 14.02. 2014 / 59(18)

→Ordinary Integral equation (0D 3V, t) ("kinetically correct CR model", multidimensional, retains collision Kinetics, energy exchanges, → multiparametric CR model)

Next: remove 3d velocity space physics (0D-one-speed transport),



- Fusion edge codes: The ITER (DEMO) divertor design challenge
- Evaluation of data by experimental checks on code results (→very indirect consistency checks only, but best one can do with codes re. data evaluation)
- →Edge codes can not evaluate (validate) data by comparison with experiments: too many other unknowns
- Format of "evaluated" edge code "reference" data
- Marc Kushner's guidelines: databases for plasma chemistry (→ HYDKIN → data sensitivity analysis)

The kinetic equation solved by EIRENE: www.EIRENE.de

Generic kinetic (transport) equation (L. Boltzmann, ~1870) •for particles travelling in a background (plasma) between collisions

•with (ions) or without (neutrals, photons) forces (Lorentz) •acting on them between collisions

Basic dependent quantity: distribution function $f(\vec{r}, \vec{v}, t)$

$$\frac{\partial f(E,\vec{\Omega})}{\partial t} + v\vec{\Omega} \cdot \nabla f(E,\vec{\Omega}) + Forces = S(E,\vec{\Omega}) - v\sigma_a(E)f(E,\vec{\Omega})$$
Free flight External source Absorption
$$+ \int_{0}^{\infty} dE' \int_{4\pi} d\vec{\Omega}' [v'\sigma_s(E' \to E,\vec{\Omega}' \cdot \vec{\Omega})f(E',\vec{\Omega}') - v\sigma_s(E \to E',\vec{\Omega} \cdot \vec{\Omega}')f(E,\vec{\Omega}')]$$
microscopic collision kinetics, microscopic boundary conditions
Altogether, just a balance in phase space

Kinetic (transport) equation, one for each species

$$\frac{\partial f(E,\vec{\Omega})}{\partial t} + v \underbrace{\partial f(E,\vec{\Omega})}_{\tau} + Forces = S(E,\vec{\Omega}) - v \sigma_a(E) f(E,\vec{\Omega})$$

Transport External source Absorption

$$+ \int_{0}^{\infty} d\Omega' \left[v' \sigma_s \left(E' - E, \overline{\Omega} \cdot \Omega \right) f \left(E, \overline{\Omega}' \right) - v \sigma_s \left(E - E, \overline{\Omega} \cdot \Omega' \right) f \left(E, \overline{\Omega} \right) \right]$$

Collisions, Boundary Conditions

System then becomes analogous to:

$$\frac{\partial \vec{f}}{\partial t} = \vec{S} + \vec{M}\vec{f}, \vec{M} = \vec{C} + \frac{1}{\tau}$$

Ordinary (0D0V) CR model, "Plasma chemistry Model"

for those $f_{\rm i},$ for which the transport has been removed from kinetic equation



Choose in HYDKIN and in EIRENE: same Influx: CH₄, density: 5e12 cm⁻³, Te=Ti=1 eV, same [0,t_{max}] time period 1 eV. 1000 Eirene particles (<< 1 sec cpu) 7 0E+0 C Hydkin CH Hydkin CH_2 Hydk CH_3 Hydk CH_4 Hydk CH_4 Hydk CE Eirene CH Eirene CH_2 Eirene 6.0E+07 5 0E+07 4.0E+07 3.0E+0 CH 3 Eire • CH 4 Ei 1 0E+07 etta a HI H 0.05+00

0.0E+00 1.0E-04 2.0E-04 3.0E-04 4.0E-04 5.0E-04 6.0E-04 7.0E-04 8.0E-04 9.0E-04 1.0E-03

Density of CH_x vs. time





HYDKIN: closed form analytical solution, t-dep or 1D-stationary EIRENE: Monte Carlo solution, same equation. 1 eV, 1000000 Eirene particles (~23 sec cpu) 7.0E+0



EIRENE: 3D3V,t → 0D3V,t → 0D0V,t exact CR model, by Monte Carlo transport

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Basic input for ITER divertor code: A&M data, (& surface data) Goal: publicly expose raw data used in any modelling



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A_ionis+ A_cx+

A recomb+....

effective rates,

cooling rates.

population coefficients

beam stopping rates,

reduced chemistry models -

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The data evaluation (e.g. for an ITER reference AM&S data set) should be on an as microscopic as possible level plus: asymptotics (near threshold, high energy) plus: rules for forming reverse processes (unless trivial) (plus, perhaps, provide simple toolbox to process/condense).

This is the task of atomic/molecular/surface science experts. Modeling codes can not contribute.

But: Codes are very good at reducing data, multidimensional to averaged, on a "case-by-case" basis as appropriate, based on other model time scales (transport time scale surface

HYDKIN: select a number of species, and a set of reactions. Then:

The online solver automatically builds the master rate equation: $\frac{d\vec{y}}{dt} + \vec{A}\vec{y} = \vec{b} - \vec{y}_{loss}$ \vec{A} : master operator dt A: constructed from reaction rates for losses and gains of population y (Maxw. reaction rates are obtained by integration of reaction cross sections, "on the fly") n_{CH}





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Error propagation and sensitivity analysis



Error propagation and sensitivity analysis



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Questions



Error propagation for processed data:

At which level to specify "propagated errors" in a database? (Connor: reduced pop. coeffs., effective rates)

- or : at individual rates (before CR modeling) ?
- or : at (differential) cross section level ?

Perhaps (?) separate issues of "Data" ("error analysis", propagation from atomic structure \rightarrow fundamental data) and "Data processing toolbox" (linear sensitivity analysis, or Monte Carlo)

Detley Reiter | Institute of Energy Research - Plasma Physics | Association EURATOM - FZJ 🕗 JÜLICH HYDKIN.de: online sensitivity analysis D.Reiter et al., Phys. Scr. T138 (2009) 014014 Breakup of CH4 @ 40 eV (143 parameters) Analytic solution for sensitivity, online $Z_{ik}(t)=d(\ln[n_i])/d(\ln < rate_k >)$ 2.05 6.68 Identify, print and plot the most sensitive parameters: -6.60 -2.06-If <rate_k> changes by x % Then ni changes by x * Zik % 2.02-5 4.02-5 6.02-5 8.02-5 10.02-At 40 eV (TEXTOR) Only DE, I, DI processes are relevant (nearly) no dependence on transport at all SENSITIVY, uncertainty propagation B2-fluid (2D,t) ←→ AM&S kinetic (3D3V,t) ←→ HYDKIN (0D0V,t) (adjoint) HYDKIN sensitivity (0D0V,-t) Adjoint B2-fluid (2D, -t) $\leftarrow \rightarrow$ AM&S kinetic (3D3V, -t) Available since 30 years for "adjoint" automated divertor design Recent development Missing link Start with simpler 2D fluid neutral formulation te of Energy and Climate Research – Plasma Physics | Associ tion EURATOM – FZJ

Carbon re-deposition, tritium co-deposition in JET 🕗 JÜLICH Location of tritium in JET vessel during





typical tiles, but 520 mg were vacuumed up from the cooled, out-of-sight louvers, suggesting up to 3200 mg also that have fallen through to the vessel floor. J.P. Coad, et al, J Nucl Mater 290-293 (2001) 224.

Uncertainty propagation...

JÜLICH How sensitive is a result to particular process reaction rates (or transport losses) ?

Define sensitivity Z of density n_i wrt. reaction rate R_k as logarithmic derivative:

$Z = d (\ln n_i) / d (\ln R_k)$

For n species in the system, and m different processes active, there are n x m such sensitivity functions.

Fortunately: the system of DGL for these Z has the same form as that for the densities n, and can also be solved in closed form using the known eigenvalues and eigenvectors.

If this option is activated, HYDKIN prints and plots the s (input) largest (at t=t_{max}) such sensitivity functions

Phys. Scr. T138 (2009) 014014



